

resistance of one specimen continued to rise at temperatures as low as 0.4°K, and, in fact, seemed to be approaching infinity at absolute zero. These authors concluded that the minimum is not due to spurious causes such as gas absorption or unavoidable disturbances caused by the current and potential leads to the specimens.

The only other published measurements on gold appear to be those of Meissner.⁴ Here, measurements on gold monocrystals (impurities $\sim 10^{-3}$ percent) showed no minimum down to 1.3°K, a temperature well below the minimum temperature found necessary by the Leiden investigators.

If the effect reported by the Leiden group should prove to be real (i.e., not due to impurities or some similar cause), then it appears that a rather fundamental violation of the basic quantum theory of solids has appeared. Thus, a monovalent substance like gold, where the Fermi surface in the first zone is presumably nearly spherical and far from a zone boundary, approaches the ideal Bloch model closely—the conduction electrons are nearly “free.” Presumably, one would then have to go a step further than the present theory of solids and consider the possibility of electron interaction—a mechanism which has sometimes been suggested as responsible for superconductivity.

It seems more plausible to suppose that the effect is of a secondary nature, and in some way connected with the crystallite boundaries in the polycrystalline material. Thus, Meissner's single crystals do not show the effect even though the impurity content of his material was about ten times as large as that used by de Haas and collaborators. It may, of course, be that in the process of growing single crystals, Meissner automatically purified his material—such a process has been used for refining, the impurities being “flushed” to one end of the crystal, and this end then rejected.

It might, therefore, be of interest to re-examine this matter, making use of both single crystal and polycrystalline specimens fabricated from the same material and each having the same impurity content.

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³ de Haas, Casimir, and van den Berg, *Physica* **5**, 225 (1938).
⁴ W. Meissner, *Zeits. f. Physik* **38**, 647 (1926).

Magnetic Effects of a Rotating Superconductor*

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IT was discovered by Meissner¹ that when a substance goes superconducting in a small magnetic field, the magnetic induction vector $B=0$. What is often observed is a Meissner effect varying anywhere from no effect at all to the complete effect, and this seems to depend on the degree of impurity, geometrical shape, and whether or not the specimen is a single crystal.² We have studied the frozen-in magnetic flux of superconducting tin whose total impurity is 0.012 percent. The tin was melted in a vacuum furnace and allowed to cool slowly after the manner of forming a single crystal. Ultrasonic pulses at 10 megacycles per second showed no evidence of flaws. The specimen was in the shape of a cylinder with well-rounded edges, approximately an ellipsoid, and mounted in Textolite such that it could be rotated about its long axis. The rotor of tin was enclosed in a lead shield so that with the lead superconducting, the magnetic field around the tin was not changed by external effects. With the lead housing superconducting, the magnetic field between the lead wall and the normal conducting tin rotor was about 0.01 gauss and remained unchanged (± 0.00005 gauss) with variation in the angular position of the tin rotor. Cooling further, the magnetic field detector, which was placed between the tin rotor and the lead housing, showed the Meissner effect as the tin rotor became superconducting and flux was pushed out of it.

The superconducting tin rotor showed a very pronounced frozen-in flux (incomplete Meissner effect) in that the magnetic field at the detector now varied sinusoidally with the angular position of the rotor. The frozen-in flux threaded through the superconducting tin in an orientation determined by the magnetic field within the lead housing. That is to say, the magnetic moment locked into the superconducting tin was independent of the angular orientation of the rotor with respect to the lead housing when the transition temperature was passed. Thus, there was no special path of impurities or structure flaws through the tin rotor for the frozen flux to choose. The frozen magnetic flux showed no observable relaxation effects over a period of five minutes.

A Meissner effect has been observed when the specimen has been cooled while rotating at 5000 revolutions per minute. On the stopping rotation the specimen showed no frozen flux. The magnetic field was observed to penetrate the rotor (reverse Meissner effect) when the temperature was then raised through the transition point. Magnetic fields were detected by the “magnetic airborne detector,” AN-ASQ-3, kindly supplied by the Office of Naval Research.

We may conclude that when a solid ellipsoid of pure tin goes superconducting it may do two things with the magnetic flux which existed within its body. It may eject part of the flux, corresponding to the Meissner effect, by setting up macroscopic currents described by the theory of F. and H. London,³ and this current does not move with the rotor as it is turned but stays fixed with respect to the external field. The remainder exhibits the intermediate state proposed by Gorter and Casimir⁴ wherein magnetic flux is crowded into small regions where the critical field is exceeded, and this flux is supported by annular superconducting currents which we have observed to stay fixed with respect to the rotor. The earlier experiments by Onnes and Tuyn⁵ support these conclusions. The authors acknowledge with pleasure the directing guidance of Professor C. F. Squire and the many helpful discussions with Professor W. V. Houston.

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The Viscosity and Thermal Conductivity of Mixtures of He³ and He⁴

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RECENTLY Ter Haar and Wergeland,¹ using Tisza's phenomenological picture of the viscosity of He⁴, have estimated the influence of an admixture of He³ to the He⁴ liquid. Their expression for the increase in viscosity due to a fraction x of He³ in He⁴ liquid is

$$\Delta\eta = x(\eta_3^{\text{kin}} - \eta_4^{\text{kin}}) \approx x\eta_3^{\text{kin}}. \quad (1)$$

In deducing (1) the kinetic viscosity of He⁴ is neglected in comparison to that of He³, and also the dynamic viscosity of both He³ and He⁴ is assumed to be the same.

In calculating η^{kin} from the well-known expression

$$\eta^{\text{kin}} = \frac{1}{3} \rho c \Lambda,$$

these authors have assumed that the mean free path Λ is equal to $m/\sqrt{2}\pi d^2$. This, however, is not justified, since in a degenerate Fermi-Dirac gas the mean free path Λ increases with decreasing temperature because the number of possible collisions is greatly reduced because of the exclusion principle. Indeed, at a temperature T , the possible transitions are limited to the states of the “Maxwell tail” beyond the maximum zero point energy $E_m = (\hbar^2/2M)(3\rho/8\pi M)^{\frac{1}{3}}$: In velocity space such cells roughly fill a spherical cell of radius $v_m = (2E_m/M)^{\frac{1}{2}}$ and thickness